

# Argument, I Choose You!

Preferences and Ranking Semantics in Abstract Argumentation

Jean-Guy Mailly and Julien Rossit

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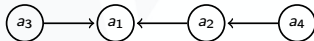
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- Their preferences are more important than rational acceptability criteria

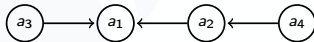
Suppose that two candidates  $A$  and  $B$  talk about funding the education system:

- (A)  $a_1$  = "We should reduce the number of professors: paying them is expensive."
- (B)  $a_2$  = "We cannot reduce the number of professors, actually there should be more professors since the number of students has increased recently."
- (B)  $a_3$  = "Moreover, a good education system is good for society and economy."
- (A)  $a_4$  = "There were too many professors in the past, we can't pay for more."



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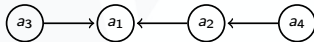
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- Ranking semantics (e.g.  $h$ -categorizer):  $h(a_1) = 0.4$ ,  $h(a_2) = 0.5$ ,  
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- Suppose that John likes  $A$  and Yoko likes  $B$ : this does not fit their opinion

## Argumentation Framework (AF)

$F = (A, R)$  with  $A$ : set of arguments and  $R \subseteq A \times A$ : attacks between arguments

## Extension Semantics

$S \subseteq A$  is

- *conflict-free* (**cf**) if there is no  $a, b \in S$  s.t.  $(a, b) \in R$
- *stable* (**st**) if  $S \in \mathbf{cf}(F)$  and  $S$  attacks each argument in  $A \setminus S$
- ...

## Ranking Semantics

Maps  $F$  to a pre-order  $\geq$ :  $a \geq b$  means “ $a$  is at least as acceptable as  $b$ ”

E.g.  $h$ -categorizer [Besnard and Hunter 2001]:

$$h(a) = \frac{1}{1 + \sum_{(b,a) \in R} h(b)}, \text{ and } a \geq b \text{ iff } h(a) \geq h(b)$$



**Preference-based Argumentation Framework (PAF)**

$F = (A, R, \succ_p)$ , where  $a \succ_p b$  means "a is preferred to b"

**Preference Precedence**

**(PP)** if  $a \succ_p b$ , then  $a \succ_\sigma b$

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- Extension semantics for PAFs  $\rightarrow$  violate **(PP)**

Input:

- $F = (A, R, \succeq_\rho)$
- $\succeq_\sigma$  a “classical” acceptability ranking

New ranking  $\succeq_\rho$ :

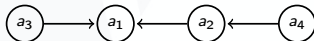
- if  $a \succ_\rho b$  then  $a >_\rho b$
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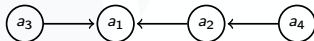
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- Yoko's preferences:  $a_2, a_3 \succ_p^y a_1, a_4$

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- Other frameworks:
  - supports
  - weights
  - logic-based
  - ...
- Study preference arbitration: use  $\preceq_p$  for breaking ties in  $\succeq$