

Comparison Criteria for Argumentation Semantics

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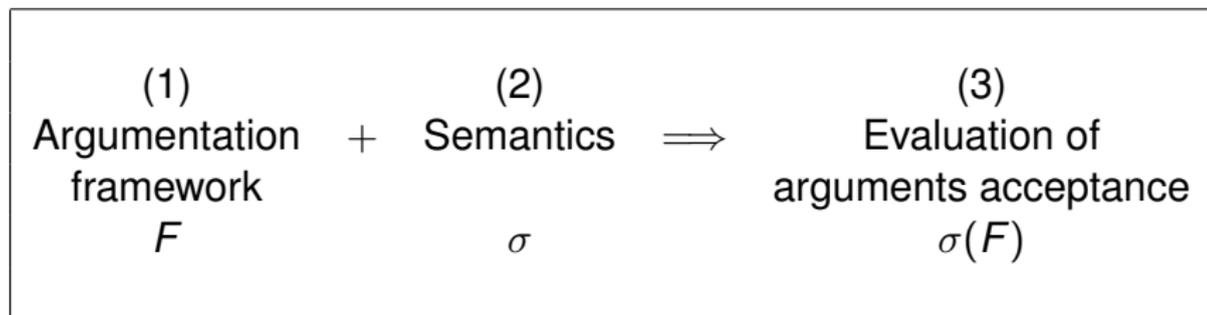
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Argumentation System

Argumentation system



Example:

$$c \longrightarrow b \longrightarrow a \quad + \quad \text{Stable semantics} \quad \implies \quad \{\{c, a\}\}$$

Argumentation System

Given a Dung's argumentation framework $F = \langle A, R \rangle$, $S \subseteq A$ is

- **conflict-free** w.r.t. F if $\nexists a_i, a_j \in S$ s.t. $(a_i, a_j) \in R$
- **admissible** w.r.t. F if S is conflict-free and S defends each of its arguments against all of their attackers
- a **naive** extension of F if S is a maximal conflict-free set (w.r.t. \subseteq)
- a **stable** extension of F if S is conflict-free and S attacks each argument in $A \setminus S$

Argumentation System

Examples:

$c \longrightarrow b \longrightarrow a +$ Stable semantics \implies $\{\{c, a\}\}$

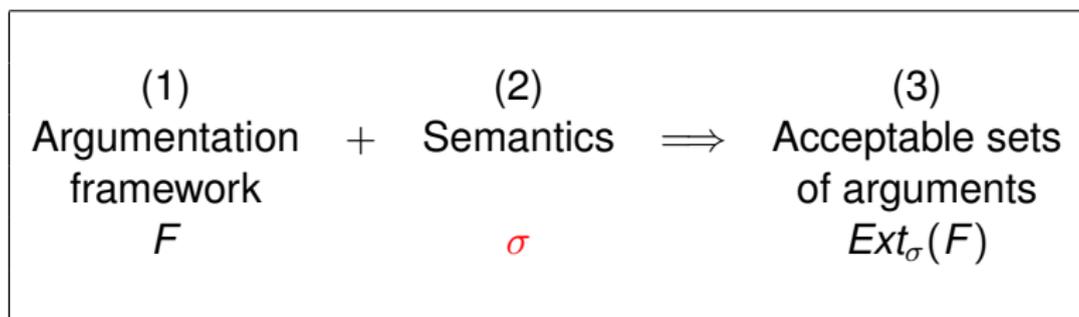
$c \longrightarrow b \longrightarrow a +$ Naive semantics \implies $\{\{c, a\}, \{b\}\}$

$c \longrightarrow b \longrightarrow a +$ Admissible semantics \implies $\{\{c, a\}, \{c\}, \emptyset\}$

Argumentation System

Motivation for Comparison Criteria

Argumentation system



In the context of the **dynamics** of argumentation systems, σ may have to be **changed to** a σ'

Possibly, σ' should be **not too different** from σ

Example

Argumentation system and acceptability requirement:

$$\begin{array}{ccc} (1) & (2) & (3) \\ c \longrightarrow b \longrightarrow a & + \text{ Stable semantics} & \Longrightarrow \{\{a, c\}\} \end{array}$$

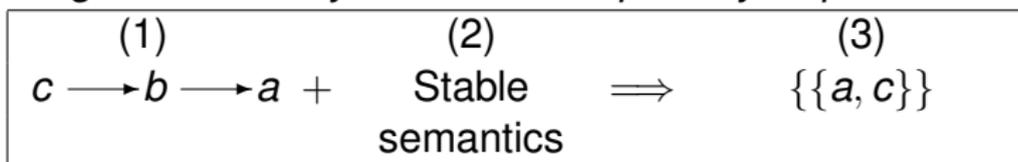
↑
b in an
acceptable set

Enforcement:

$$\begin{array}{ccc} (1') & (2) & (3') \\ d \longrightarrow c \longrightarrow b \longrightarrow a & + \text{ Stable semantics} & \Longrightarrow \{\{d, b\}\} \end{array}$$

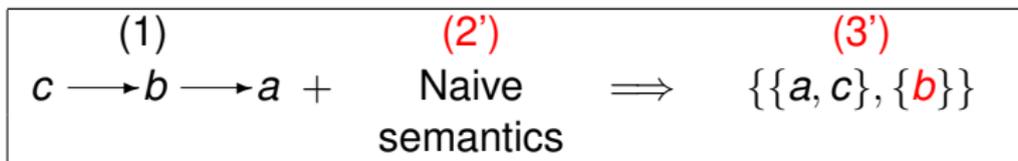
Example

Argumentation system and acceptability requirement:



\uparrow
 b in an
acceptable set

Enforcement:



Towards Semantic Change

Question

How to **measure** how different two semantics σ and σ' are?

Four types of comparison criteria:

⇒ **Property**-based

⇒ **Relation**-based

⇒ **Acceptance**-based

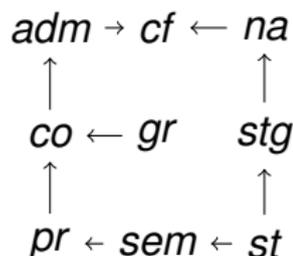
⇒ **Complexity**-based

Property-based Difference Measures

- Rely on the **principles** the semantics are defined on. E.g.:
 - admissible semantics: relies on conflict-freeness and admissibility
 - naive semantics: relies on inclusion-maximality for conflict-freeness
- A **weight** can be assigned to each principle.
- **Measure** the difference between the principles the semantics are based on, and their possible weights.

Relation-based Difference Measures

- A certain **relation between semantics** is considered. E.g.:
 - the inclusion relation between extensions under the semantics
- This relation is represented as a **graph**. E.g.:



- The length of the **shortest path** between σ and σ' in this graph is measured.

Acceptance-based Difference Measures

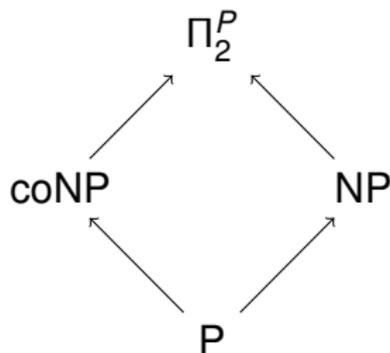
- Unlike the two previous types of measures, these ones are relative to a **given argumentation framework** F .
- The **sets of extensions** $\sigma(F)$ and $\sigma'(F)$ are considered.
- The difference between these two sets (e.g. using the Hamming **distance**) is measured.

Complexity-based Difference Measures

- Depends on a (set of) **reasoning task(s)** (skeptical acceptance, credulous acceptance, . . .)
- Build a graph representing inclusion of the **complexity classes** for these tasks and semantics
- The distance is the length of the path

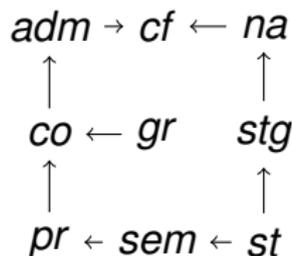
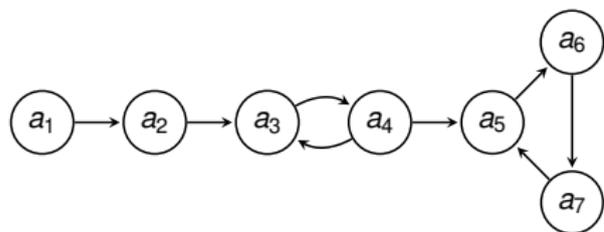
Example:

- $S = \{co, pr, st, gr\}$
- $T = \{Cred_{\sigma}, Skept_{\sigma}, Exist_{\sigma}\}$
- $\mathcal{C} = \{P, NP, coNP, \Pi_2^P\}$
- $\delta_T^S(Cred_{gr}, Cred_{co}) = 1$
($Cred_{gr} \in P$ and $Cred_{co}$ is NP-c)



Applying our Distances

Semantic Change in Extension Enforcement [Doutre and Maily, SUM'17]



- $\sigma = st$, $st(F) = \{\{a_1, a_4, a_6\}\}$, $E = \{a_1, a_3\}$
- $E \in \sigma'(F)$ for $\sigma' \in \{pr, co, adm, cf\}$
- No change of the graph at all
- $\delta_{Inc, \Sigma}(st, pr) = 2 < \delta_{Inc, \Sigma}(st, co) = \delta_{Inc, \Sigma}(st, cf) = 3 < \delta_{Inc, \Sigma}(st, adm) = 4$
- The new semantics must be pr

Conclusion and future work

- Toward semantic change:
 - 4 kinds of **difference measures for semantics**
 - These measures can be combined
 - A semantics σ may be “closer” to a σ' than a σ'' according to one measure, but not according to another measure
 - Application of our measures: extension enforcement
[Doutre and Maily, SUM'17]
- Future work:
 - Application of these measures in the context of the **revision** of argumentation systems
 - In this context, study of the **combination** of these measures with measures for changes on argumentation frameworks
 - Difference between **ranking-based semantics**